

Alg. 2 Warm Up #8-3

1. Give the exact radian measure for each angle:

- a) 90° b) 30° c) 120° d) 330° e) 135°

2. Give the exact degree measure for each angle:

- a) $\frac{\pi}{4}$ b) $\frac{5\pi}{3}$ c) $\frac{3\pi}{4}$ d) $\frac{7\pi}{6}$ e) 3π

What about:

using $180^\circ = \pi$

$$1) \frac{15^\circ}{1} \cdot \frac{\pi}{180^\circ}$$

$$\frac{\pi}{12}$$

$$3) \frac{4\pi}{15} \cdot \frac{180^\circ}{\pi}$$

$$48^\circ$$

$$2) \frac{420^\circ}{1} \cdot \frac{\pi}{180^\circ}$$

$$\frac{42\pi}{18} = \boxed{\frac{7\pi}{3}}$$

$$4) \frac{9\pi}{5} \cdot \frac{180^\circ}{\pi} = 324^\circ$$

$$\begin{array}{r} 36 \\ 5 \overline{) 180} \\ \underline{-15} \\ 30 \end{array}$$

$$\begin{array}{r} 5 \\ 36 \\ \times 9 \\ \hline 324 \end{array}$$

Purple WS (10 minutes with your team, then questions)

Alg II 7.1.6 day 2 HW

Name: _____ Per: _____

No Calculator on these problems:

1) Convert 225 degrees to radians

$$\frac{225}{1} \cdot \frac{\pi}{180}$$

2) Convert $\frac{3\pi}{4}$ radians to degrees.

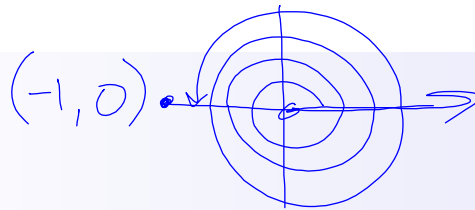
$$\frac{45\pi}{36} = \boxed{\frac{5\pi}{4}}$$

Give the exact values of the following (no decimals...use radicals and fractions)3) $\sin 120^\circ =$

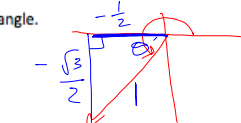
$$\begin{array}{r} 45 \\ 5 \overline{)225} \\ \underline{-20} \\ 25 \end{array}$$

4) $\cos 45^\circ =$

$$\begin{array}{r} 36 \\ 5 \overline{)180} \\ \underline{-15} \\ 30 \end{array}$$

5) $\tan \frac{5\pi}{3} =$ 6) $\cos(-390^\circ) =$ 7) $\sin 7\pi = 0$ 8) $\sin\left(\frac{\pi}{2}\right) =$ 9) Given $\cos \theta = -\frac{1}{2}$ in quadrant III, use your unit circle to find θ (in degrees and radians) and then state the sine and tangent at that angle.

$$\sin \frac{4\pi}{3} = -\frac{\sqrt{3}}{2}$$

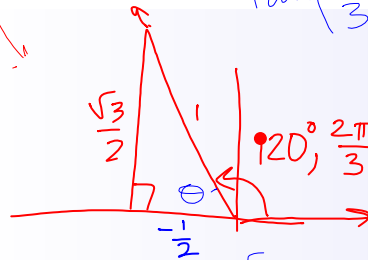


$$\begin{aligned} \theta' &= 60^\circ \\ \theta &= 240^\circ, \frac{4\pi}{3} \end{aligned}$$

10) Given $\sin \theta = \frac{\sqrt{3}}{2}$ in quadrant II, use your circle to find θ (in degrees and radians) and then state the cosine and tangent at that angle.

TOA

$$\tan\left(\frac{4\pi}{3}\right) = \frac{-\frac{\sqrt{3}}{2}}{-\frac{1}{2}}$$



$$+\frac{\sqrt{3}}{2} \cdot +\frac{2}{1} = \sqrt{3}$$

$$\tan \frac{2\pi}{3} = \frac{\frac{\sqrt{3}}{2}}{-\frac{1}{2}}$$

$$\begin{aligned} &= \frac{\sqrt{3}}{2} \cdot -\frac{2}{1} \\ &= -\sqrt{3} \end{aligned}$$

CALC OK on these problems:For each of the angles below, i) sketch the angle showing the direction of rotation and ii) calculate the reference angle, θ' .

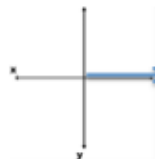
11) 212°



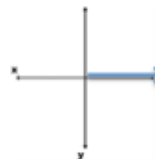
12) -290°



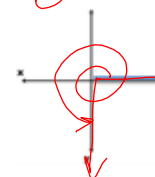
13) $\frac{7\pi}{9}$



14) $\frac{13\pi}{3}$

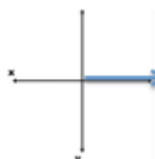


15) $\frac{7\pi}{2}$

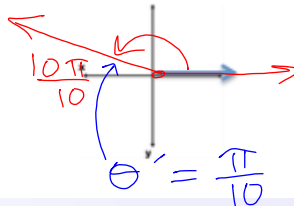


$\frac{4\pi}{2}$

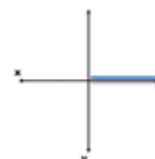
16) 280°



17) $\frac{9\pi}{10}$



18) 110°



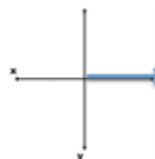
19) 750°



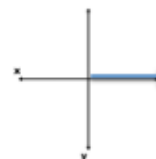
20) 430°



21) $\frac{5\pi}{3}$



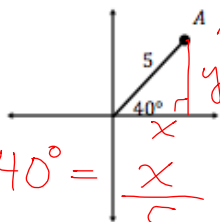
22) $\frac{7\pi}{3}$



Find the coordinates of point A in each figure.

2 decimal places

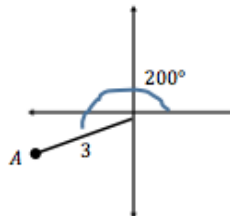
15)



$$\cos 40^\circ = \frac{x}{5}$$

$$x = 5(\cos 40^\circ)$$

16)



Classwork: Tan WS (10 minutes in teams then questions)

Alg 2B Classwork 7.1.6: Unit Circle

Name: _____ Per: _____

1. There are two key features to the unit circle: angle measures and coordinate points. In a few sentences, describe your method of building/finding each one WITHOUT memorizing it.

Angles (in radians)Coordinate Points (x, y)

|

2. On a unit circle, every (x, y) point can be expressed as $(\cos \theta, \sin \theta)$. Using this information, state the value of the trig function at the given angle WITHOUT A CALCULATOR.

a. $\cos(45^\circ) = \underline{\hspace{2cm}}$

b. $\sin(240^\circ) = \underline{\hspace{2cm}}$

c. $\cos\left(\frac{3\pi}{2}\right) = \underline{\hspace{2cm}}$

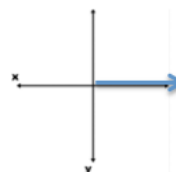
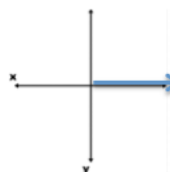
d. $\sin\left(\frac{11\pi}{6}\right) = \underline{\hspace{2cm}}$

3. For each of the angles below, i) sketch the angle showing the direction of rotation and ii) calculate the reference angle, θ' .

a. -225°

b. 315°

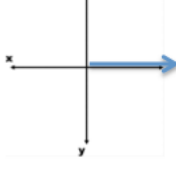
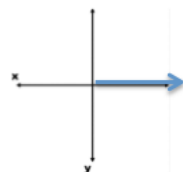
c. 65°



d. $\frac{7\pi}{4}$ radians

e. $-\frac{2\pi}{3}$ radians

f. $\frac{13\pi}{4}$



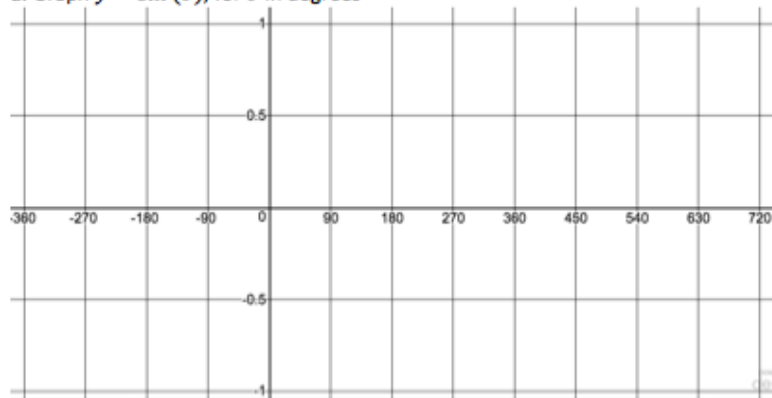
4. Without using a calculator, decide whether the equation is true or false. To do this, identify the quadrant and the reference angle for each. Then use a calculator to verify your decision.

a. $\sin 152^\circ = \sin 28^\circ$

b. $\cos\left(\frac{5\pi}{4}\right) = \cos\left(\frac{\pi}{4}\right)$

4. Graphing $y = \sin(\theta)$ and $y = \cos(\theta)$: Use your unit circle, not your calculator, to graph.

a. Graph $y = \sin(\theta)$, for θ in degrees

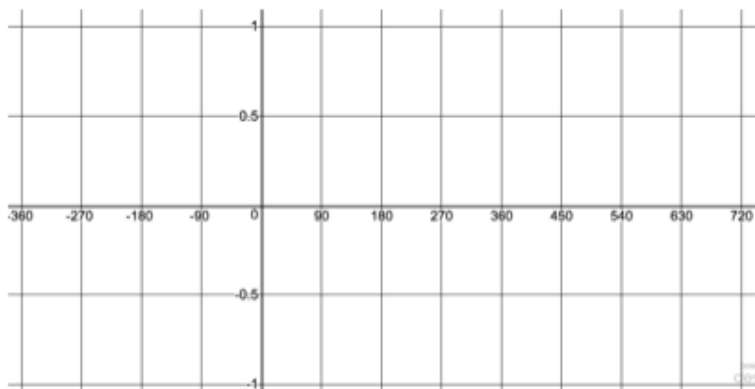


θ -intercepts: _____

y -intercept: _____

Name the angles where there is a maximum: _____ where there is a minimum: _____

What is the length of one cycle? _____

b. Graph $y = \cos(\theta)$  θ -intercepts: _____

y-intercept: _____

Name the angles where there is a maximum: _____ where there is a minimum: _____

What is the length of one cycle? _____

Algebra 2B Classwork 7.1 Summary

Name _____ Per. _____

Refer to the graphs on the back of your tan classwork, #4.

1. On your graph of $y = \sin \theta$, circle where any angle has a sine of $\frac{1}{2}$.a) On the interval $-360^\circ < \theta < 720^\circ$, how many solutions are there to the equation $\sin^*(\theta) = \frac{1}{2}$?

b) If you graphed them all on the unit circle, what would their reference angle(s) be?

2. Let $n = \text{any integer}$.

a) For the graph of $y = \sin \theta$, write an expression for all the θ - intercepts in terms of n .
(hint: Think about how far apart they are.)

b) Now write the expression for θ in radians.

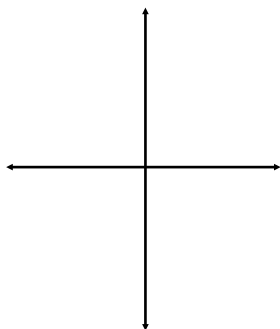
c) For the graph of $y = \cos \theta$, write an expression for the θ - intercepts for:

θ in degrees

θ in radians

3. The unit circle is divided into four quadrants, labeled using the Roman Numerals I, II, III, IV.

a) Label the quadrants:



b) In which quadrant(s) will the sine of θ have a positive value?

c) In which quadrant(s) will $\cos \theta$ be positive?

d) In which quadrant(s) will the $\tan \theta$ be positive?

HW:

Finish up blue, tan & white classwork.

Circle any problems you still have questions about.

Short Quiz Friday:
Solving Quadratics all three ways.